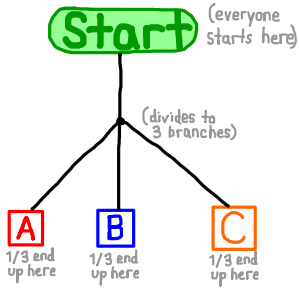


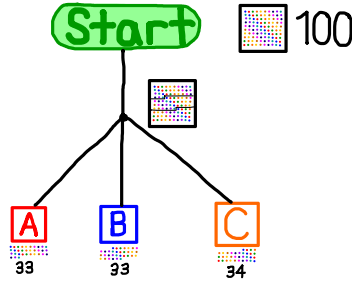
WMW #5: Garden Paths

Involves probability, infiniteness, paths, and graphs
We'll go straight to examples:

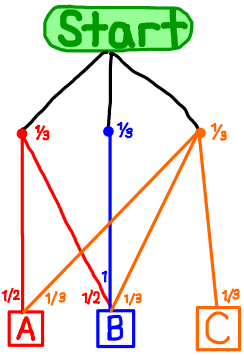
Imagine this:



So if **100** people were to go down this path,



Another example:

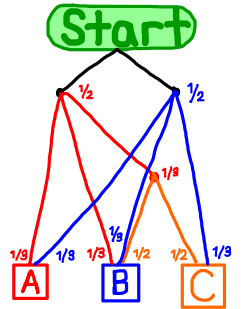


For A $\frac{1}{6} + \frac{1}{9} = \frac{5}{18}$
 For B $\frac{1}{6} + \frac{1}{9} + \frac{1}{9} = \frac{11}{18}$
 For C $\frac{1}{9}$

Make sure the values add up to 1.

$\frac{5}{18} + \frac{11}{18} + \frac{2}{18} = \frac{18}{18} \checkmark$

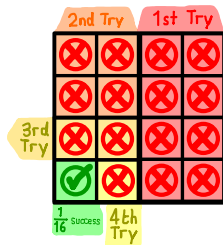
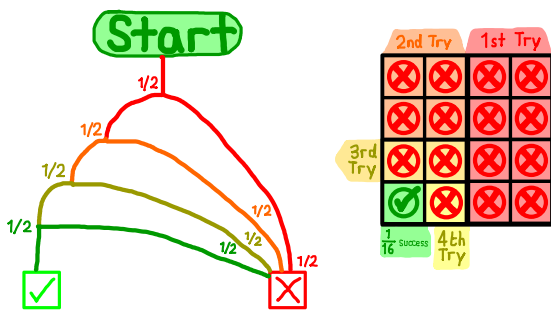
Another example:



For A $\frac{1}{6} + \frac{1}{6} + \frac{1}{6} = \frac{1}{2}$
 For B $\frac{1}{6} + \frac{1}{6} + \frac{1}{6} + \frac{1}{12} = \frac{5}{12}$
 For C $\frac{1}{6} + \frac{1}{12} = \frac{1}{4}$

Probability with Garden Paths

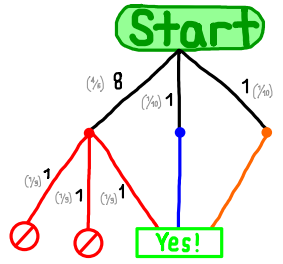
Imagine that I flip four coins. What are the chances that the coins are all HEADS?



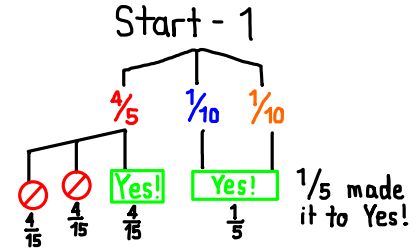
Weighted Paths

What are the chances of getting \ominus ?

How about **Yes!**?



Let's calculate them with this method:

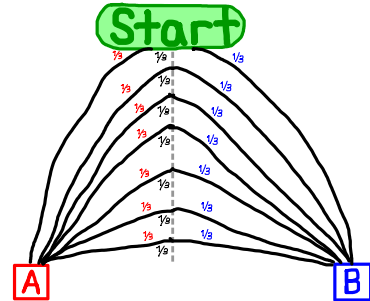


Make sure the values add up to 1:

$\frac{4}{15} + \frac{4}{15} + \frac{4}{15} + \frac{1}{5} = \frac{4+4+4+3}{15} = \frac{15}{15} = 1$

Then calculate: \ominus : $\frac{4}{15} + \frac{4}{15} = \frac{8}{15}$
Yes!: $\frac{4}{15} + \frac{3}{15} = \frac{7}{15}$

Infinite Series?



So that $\frac{1}{3} + \frac{1}{9} + \frac{1}{27} + \frac{1}{81} + \frac{1}{243} + \dots + \frac{1}{9^n} = \frac{1}{2}$? WOW!
 In fact, $\frac{1}{x} + \frac{1}{x^2} + \frac{1}{x^3} + \frac{1}{x^4} + \dots + \frac{1}{x^n} = \frac{1}{x-1} \rightarrow \sum_{n=1}^{\infty} \frac{1}{b^n} = \frac{1}{b-1}$
 where b is a constant